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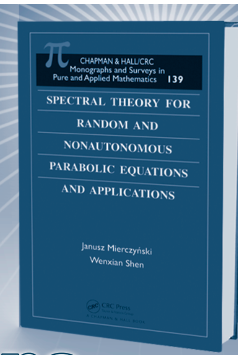

Spectral Theory for Random and Nonautonomous Parabolic Equations and Applications

Janusz Mierczyński • Wroclaw University of Technology, Poland **Wenxian Shen** • Auburn University, Alabama, USA

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By thoroughly explaining the spectral theory for nonautonomous and random linear parabolic equations, this resource reveals the importance of the theory in examining nonlinear problems.

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CONTENTS

See reverse side for continuation of Contents and ordering information

CONTENTS continued...